## geometric sequences

A sequence where every successive term is found by MULTIPLYING BY THE SAME NUMBER is called GEOMETRIC

**CHECK:** Pick any term, divide it by the previous term. If the result is always the same no matter where in the sequence you begin, then the sequence is geometric.

**EXAMPLE 1 –** Is the sequence geometric?

a) 2, 6, 18, 54, 162, 486, ...

The terms are separated by a **COMMON RATIO** of 3 (we will call it "r")

12, 6, 3, 1.5, 0.75, 0.375, ... b)

The terms are separated by a **COMMON RATIO** of

**EXAMPLE 2** – Find the general term of the following geometric sequence

3, -12, 48, -192, ... the common ratio is \_\_\_\_\_

Observe and continue the pattern...

Symbolically...

1st term	3	a	
2 <sup>nd</sup> term	3(-4)	ar	
3 <sup>rd</sup> term	3(-4) (-4)	ar <sup>2</sup>	
4 <sup>th</sup> term	3	a	
5 <sup>th</sup> term	3	a	
6 <sup>th</sup> term	3	а	

Do you see the pattern?

## Geometric Sequences continued...

**CONCLUSION:** To find the general term of an geometric sequence

 $t_n =$ 

where $oldsymbol{a}$ is the $\_$	
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<b>n</b> is the		of the	
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and *r* is the \_\_\_\_\_\_

**EXAMPLE 3** – Given the geometric sequence 3, 6, 12, 24, ...

a) Find the  $14^{th}$  term

b) Which term is 384?

**EXAMPLE 4** – The 3<sup>rd</sup> term of an geometric sequence is 20 while the 6<sup>th</sup> term of the same sequence is –540. Find the general term of the sequence and state the first 6 terms.